

$\text{Resp}(\text{net}, B, A, pA) ==$

inp net x; split x is (m, a);  
 if a = A then  
 new n; out net n;  
inp net y; decrypt y is  $\{ |z| \} pA$ ;  
 if  $z = \#(m, B, n)$  then stop

global  
local

in system, net is a free name  
 free names model public data

## final protocols

$\text{Send}(A, B, \text{net}, k) ==$  new  $s, p, s', p'$ ; out net  $(\{s, p\}k, \{p', s'\}k)$ ;  
 $\text{Recv}(A, B, \text{net}, k) ==$  inp net  $x$ ; split  $x$  is  $(x_1, x_2)$ ; decrypt  $x_1$  is  $\{s, p\}k$ ; decrypt  $x_2$  is  $\{p', s'\}k$

another way to fix the protocols is to include 'type tags' into encrypted message

assertion

$A ::= \text{secret}(M)$   $M$  is secret

a process  $Q$  is called an error state iff it has the following form

$Q = \text{new } n_1, \dots, n_j; (\text{secret}(M) / \text{out } c.M; Q' / Q'')$

where  $c \notin \{n_1, \dots, n_j\}$

an error state occurs when secret is sent to a public channel

a closed process  $P$  is safe for secrecy iff  $P \rightarrow^* Q$  implies that  $Q$  is not an error state

an opponent process is a closed process that does not contain assertions

a closed process  $P$  is robustly safe for secrecy iff for all opponent processes  $O$  the parallel composition  $P/O$  is safe for secrecy

if a process is not robustly safe for secrecy, a program algorithm will eventually find 'a bug' / 'a reason'.

due to undecidability, however, the algorithm may go on forever...

on processes which are robustly safe for secrecy

external threat model: assumes that all regular protocol participants are honest

internal threat model: has compromised protocol participants as well

for internal threats, you want to check that secrecy holds with respect to all non-compromised participants

internal threats avoided by publishing the secrets of one of the agents  
 ↓  
 which is called the spy

conditional assertions: if  $M \neq N$  then  $A$  ("A provided  $M \neq N$ ")

results in  $\text{Recv}(a, b, k) = \text{inp net } x; \text{decrypt } x \text{ is } \{y\}k$ ; if  $a \neq \text{key}$  then  $\text{secret}(y)$